## AIMING HIGH

## TIMES NINE



Complete these calculations.
What do you notice?
To explain how the patterns of numbers arise:
Either change from multiplying by 9 to
multiplying by (10-1)
or use the table below first completing the calculations on each line.

The picture shows the pyramids in the background because this number pattern, and others like, it were known to the ancient Egyptians.

| $100000000 \times 9=$ |  |
| ---: | ---: |
| $20000000 \times 9=$ |  |
| $3000000 \times 9=$ |  |
| $400000 \times 9=$ |  |
| $50000 \times 9=$ |  |
| $6000 \times 9=$ |  |
| $700 \times 9=$ |  |
| $80 \times 9=$ |  |
| $9 \times 9=$ |  |
| $123456789 \times 9=$ |  |



| NEXT | $? \times 9+7=88$ |
| :--- | :---: |
| What do you notice about this pattern of numbers? | $? \times 9+6=888$ |
| Can you explain why the pattern occurs? | $? \times 9+5=8888$ |
| Work out the numbers to replace the $?$ marks. | $? \times 9+4=88888$ |
|  | $? \times 9+3=888888$ |
|  | $? \times 9+2=8888888$ |
| $? \times 9+1=8888888$ |  |
|  | $? \times 9+0=888888888$ |


| COPY AND CUT THESE CARDS INTO 10 STRIPS FOR THE GAME |  |  |
| :--- | :--- | :--- |
| $0 \times 9+?=$ | 1 | $?=$ |
| $1 \times 9+?=$ | 11 | $?=$ |
| $12 \times 9+?=$ | 111 | $?=$ |
| $123 \times 9+?=$ | 11111 | $?=$ |
| $1234 \times 9+?=$ | 111111 | $?=$ |
| $12345 \times 9+?=$ | 1111111 | $?=$ |
| $123456 \times 9+?=$ | 11111111 | $?=$ |
| $1234567 \times 9+?=$ | $?=$ |  |
| $12345678 \times 9+?=$ | 111111111 | $?$ |
| $123456789 \times 9+?=$ | 1111111111 | $?=$ |

